

Computing degree bounds for separating invariants of actions of finite groups

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The *separating Noether number* $\beta_{\text{sep}}(G)$ of the finite group G is the minimal positive integer d such that for any finite dimensional linear representation of the group, any two different orbits are separated by an invariant polynomial that has degree at most d .

Our goal is to calculate the exact value of $\beta_{\text{sep}}(G)$ for some specific groups G . We mention some results (computed by hand) including the case of small groups ($|G| < 32$), and non-abelian groups containing a cyclic subgroup of index 2. Then we discuss a computer algorithm that can be used to compute $\beta_{\text{sep}}(G)$ for groups of small order. If time admits, we also speak about the case of abelian groups. The talk is based on preprint [1].

References

- [1] M. Domokos, B. Schefler, *The separating Noether number of small groups*, <https://doi.org/10.48550/arXiv.2412.08621>